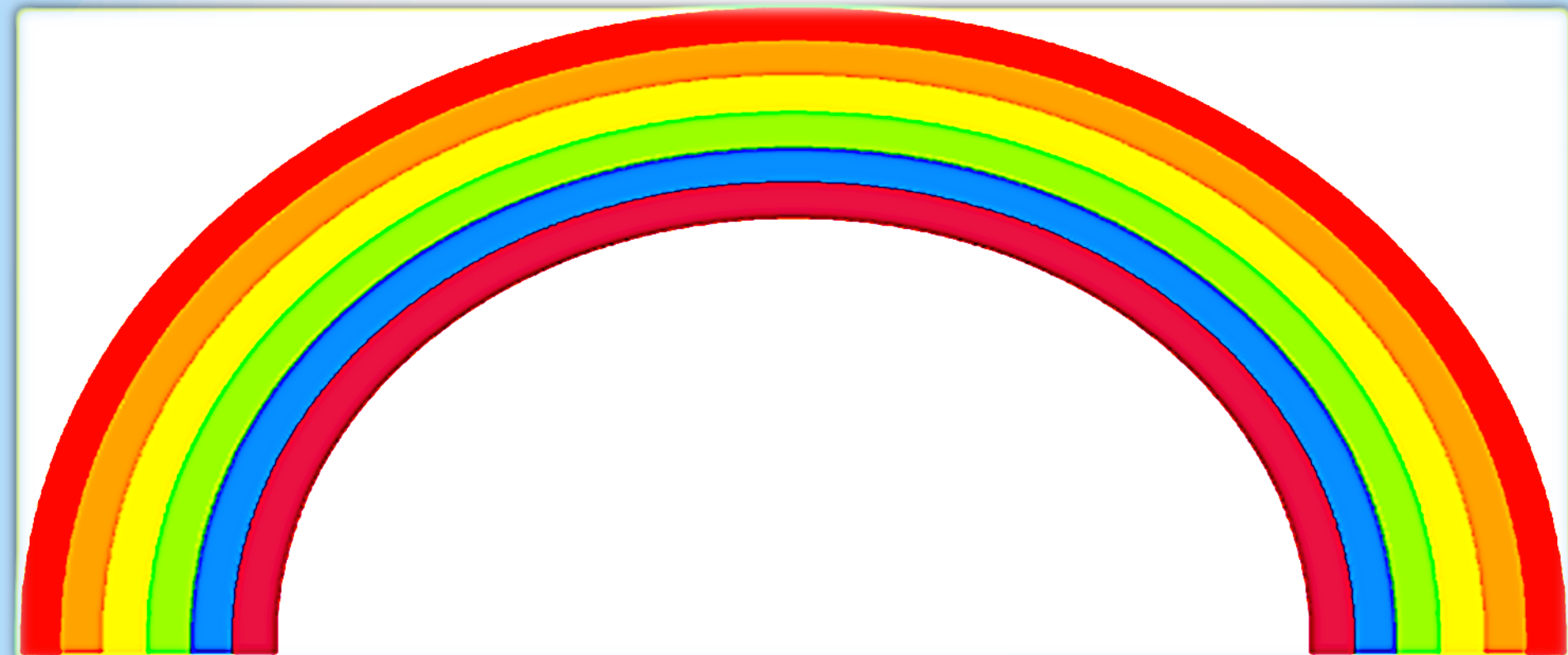




# TASTE THE RAINBOW

Minute To Win It Challenge



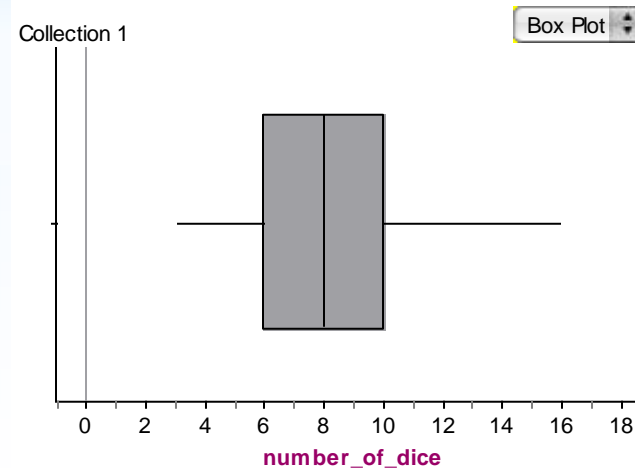
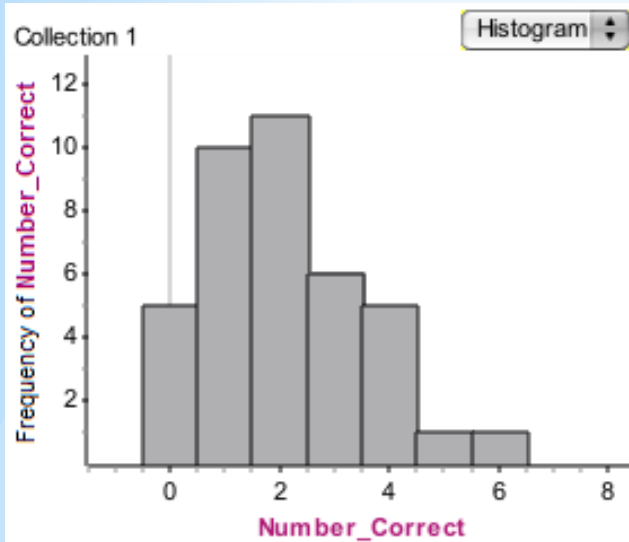
# \* Introduction & Thoughts Behind The Experiment

- Introduction
- What was measured
- Why were these chosen
- What you plan to do with the data

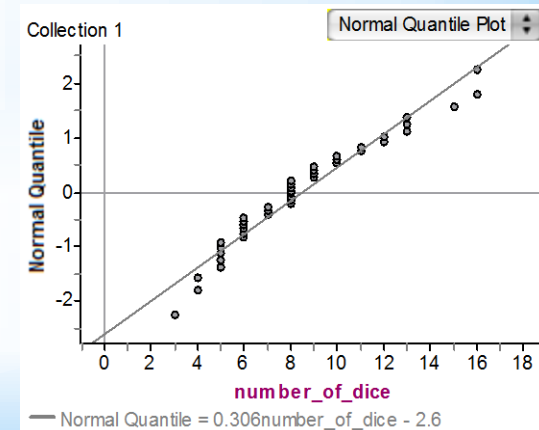
# The Task

- More detail about the investigation
- How it was done
- What the subjects had to do
- What else was measured

# \*Overall Quantitative Data



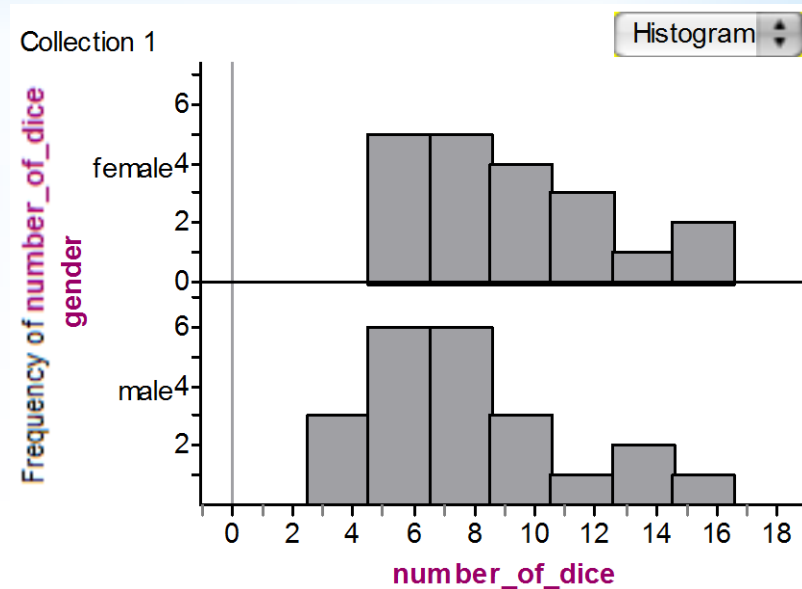
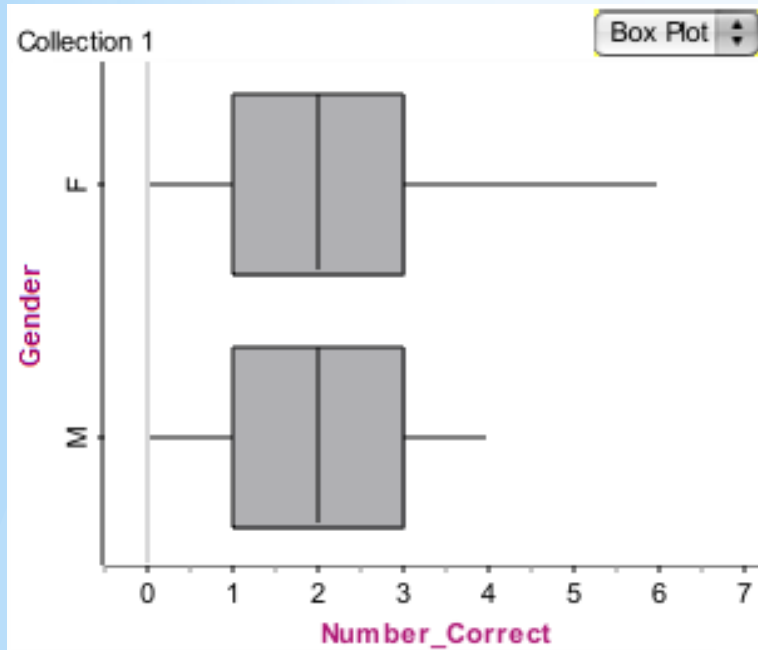
- Summary Stats (in table format)  
Mean, s, min, Q1, Med, Q3, Max, count, IQR
- Outlier test with work shown
- Description  
(shape, center, spread, anything unusual)
- Comparison to normality  
(use normal probability plot)



## 1 sample T Interval (95%) on the true average # of skittles

- Conditions
- Statement
- df
- Formula
- Interval (a, b)
- Conclusion

# \*Quantitative Data by Gender



- Summary Stats (in table format) for each gender
- Outlier test (with work shown) for each gender
- Describe & Compare

## 2 sample t test on male vs. female average quantitative variable

- Conditions
- Statement
- Hypotheses:  $H_0: \mu_F = \mu_M$   $H_a: \mu_F \neq \mu_M$
- Test statistic
- df
- P-value
- Conclusion
- If reject, complete an appropriate confidence interval

# \* Quantitative Data by 2 value Categorical variable

- Same analysis as gender
- See slide 6 for example



## 2 sample t test on difference of means for 2 value variable

- Conditions
- Statement
- Hypotheses
- Test statistic
- P-value
- df
- Conclusion
- If reject, complete a confidence interval

# Categorical Analysis of 2 Value Variable

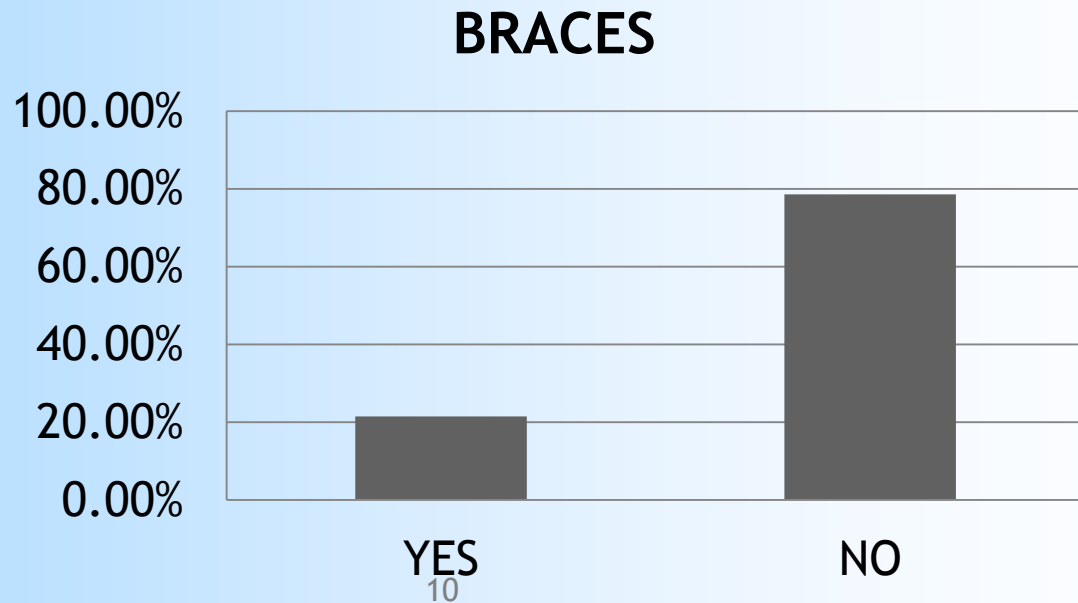
One-Way Table in counts

BRACES		
YES	NO	TOTAL
9	33	42

One-Way Table in Percents

BRACES		
YES	NO	TOTAL
21.43%	78.57%	100.00%

Bar Chart



## 1 proportion z-Interval

(for the percent of one of your categorical variable values)

p-hat = percent of students who have value A =  $x/n$

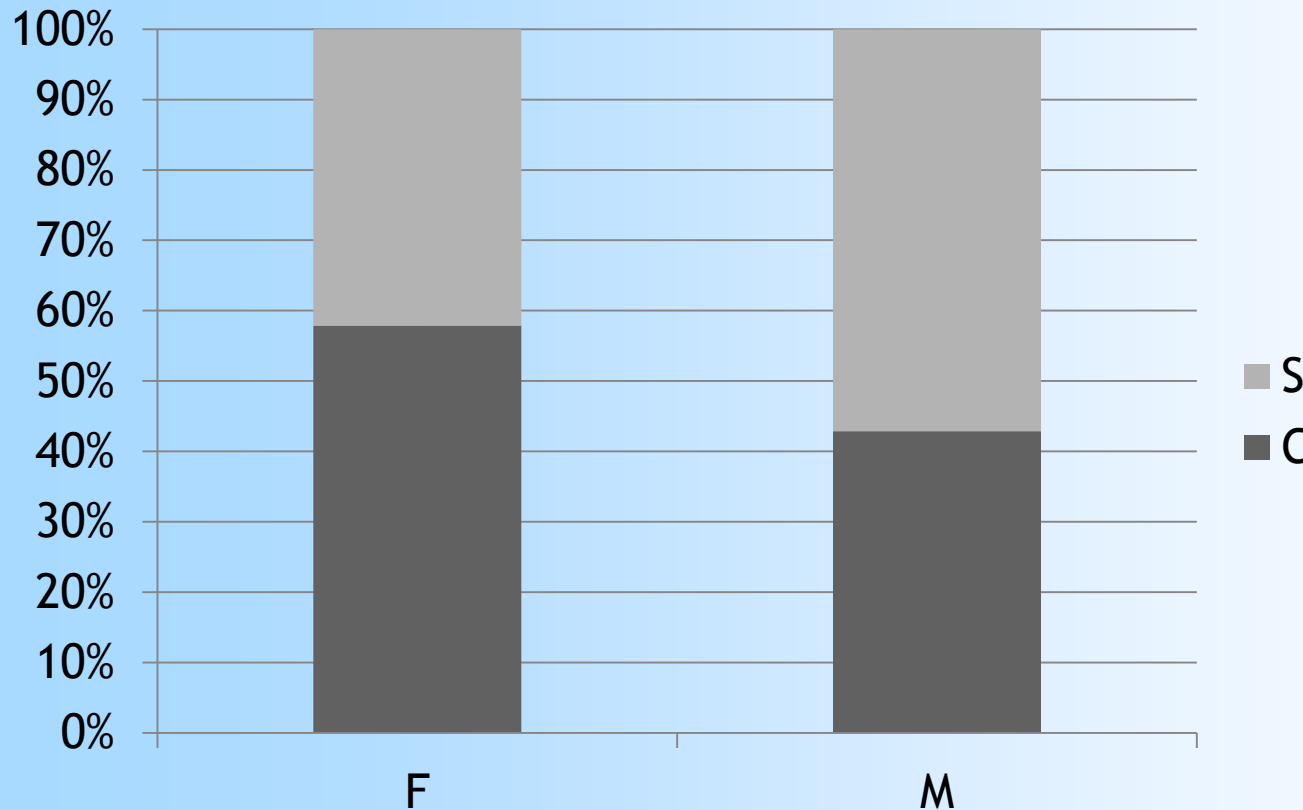
- Conditions
- Statement
- Formula
- Interval (a, b)
- Conclusion

# \*Simple Two-Way Table of Categorical Data

GENDER	BRACES		
	Y	N	total
F	5	15	20
M	4	18	22
total	9	33	42

## \* SEGMENTED BAR GRAPH

	C	S
F	57.89%	42.11%
M	42.86%	57.14%



List the % in  
each category:

Of the females:

C = 57.89%

S = 42.11%

Of the males:

C = 42.86%

S = 57.14%

Using this chart- are the two variables independent? Justify!

# Categorical Analysis of 2+ Value Variable

One-Way Table in counts

One-Way Table in Percents

*See slide #10 as example*

Bar Chart

# $\chi^2$ GOF test

## Example: Frequency of Candy Consumption

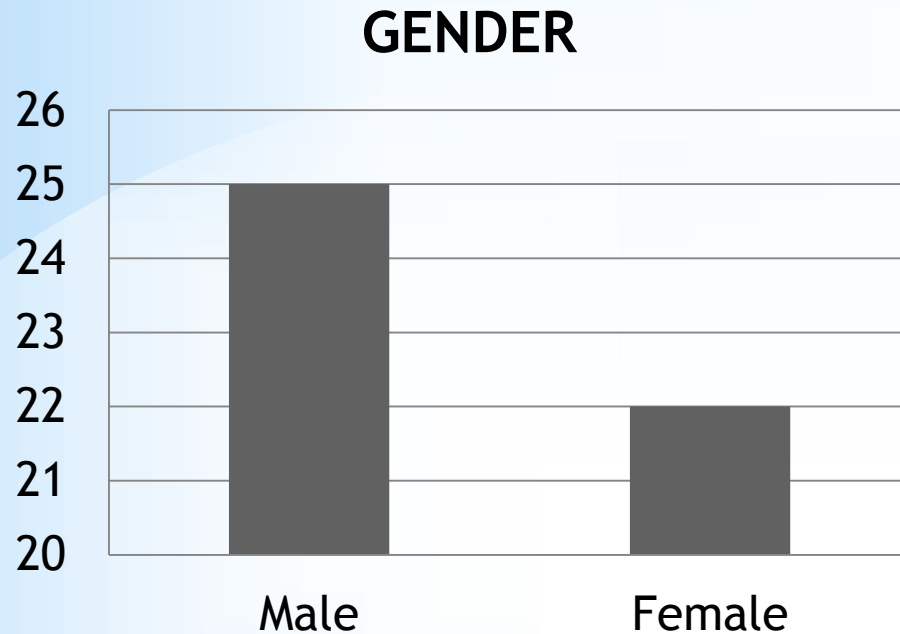
	Candy Consumption		
	Never	Sometimes	Frequently
Observed	10	28	30
Expected	22.667	22.667	22.667

- Conditions
- Statement
- Hypotheses
- Test Statistic
- P-Value (df)
- Conclusion

### **NOTE:**

*It might be necessary to combine values to be sure to meet all conditions. See me if you need help with this*

# \*Marginal Distribution for Gender



## **Counts:**

Male = 25

Female = 22

## **Percentages:**

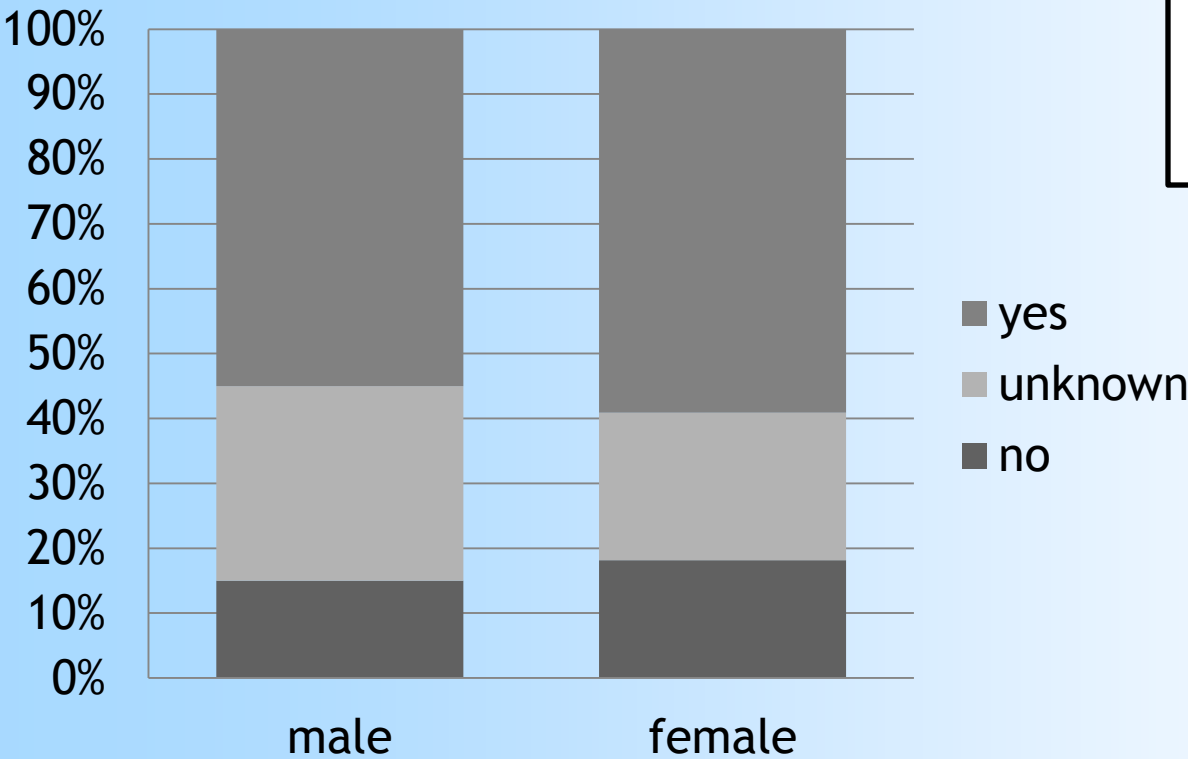
Male: 52.5 %

Female: 47.5%



	no	unknown	yes	total
male	3	6	11	20
female	4	5	13	22
total	7	11	24	42

Chart Title



Include percentages of each segment

## \* X2 Test for Association - Gender vs. 2+ Value Variable

\* Observed Table:  
(made in Excel &  
copied in)

Expected Table  
(made in Excel &  
copied in)

\* Conditions

\* Statement

\* Hypotheses

\* Test Statistic

\* P-value (df)

\* Conclusion

# \*Sources of Error and Bias

# \* Conclusion

- \* Make a conclusion about each of the tests/intervals you did
- \* Make a conclusion about each graph you made

## \*EXTRA CREDIT:

### 2 prop Z test

- Take one of your categorical variables and break it down by gender (can be the same one you did before)
- Test to see if the % of males in one value is equal to (or different than) the females in that value

- Example:

$$\hat{p}_{M \text{ glasses}} = \frac{12}{30} \quad \hat{p}_{F \text{ glasses}} = \frac{18}{41}$$

$$H_0: nM = nF$$

		EYEWEAR		
		Glasses/Contacts	None	total
GENDER	M	12	18	30
	F	18	23	41
	total	30	41	71